Properties of Gases

Question 1 (2016 - Question 4 - Part f)

(f) WHAT:

there is a **simple (small) whole number ratio of volumes** of reactants and products // at the same (constant) conditions of temperature and pressure (2 × 3) ['Amounts' not acceptable for 'volumes'.]

['At all conditions of temperature and pressure' and 'at s.t.p.' are not acceptable.]

Question 2 (2015 - Section B - Question 4 - Part j)

(j) CALCULATE: $0.005 (5 \times 10^{-3})$ moles

(6)

$$1.85 \times 10^{5} \times 6.50 \times 10^{-5} = n \times 8.3 \times 293 / n = \frac{1.85 \times 10^{5} \times 6.50 \times 10^{-5}}{8.3 \times 293}$$
(3)

 $= 0.005 (5 \times 10^{-3})$

(3)

$$\frac{P_1 V_1}{T_1} = \frac{P_2 V_2}{T_2}^* \implies \frac{1.85 \times 10^5 \times 6.50 \times 10^{-5}}{293} = \frac{1.01 \times 10^5 \times V_2}{273} \implies V_2 = 1.11 \times 10^{-4} \,\mathrm{m}^3 \quad (3)$$

 $\frac{1.11 \times 10^{-4}}{22.4 \times 10^{-3}} =$ **0.005 (5 \times 10^{-3})** [*Using standard T & P and molar volume at s.t.p.]

or

$$P_1V_1 = P_2V_2^{**} = > 1.85 \times 10^5 \times 6.50 \times 10^{-5} = 1.01 \times 10^5 \times V_2 = > V_2 = 1.19 \times 10^{-4} \text{ m}^3$$
 (3)

 $\frac{1.19 \times 10^{-4}}{24.0 \times 10^{-3}} = \textbf{0.005 (5} \times \textbf{10}^{-3}) \qquad [**Using room T \& P and molar volume at room temperature.]}$ (3)

[I mark deducted if the answer is not correct to one significant figure.]

Question 3 (2013 - Section B - Question 4 - Part (h))

[Accept formula: H₂SO₄ as conc.]

(h) STATE: volume varies directly with kelvin (absolute) temperature $/\frac{V}{T_*} = k / \frac{V_1}{T_1} = \frac{V_2}{T_2} / V \propto T / \text{gas expands by } \frac{1}{273}$ of volume at 0 °C for every °C rise in temp // for a definite mass of gas at constant pressure /*Capital T essential in formulas. 1 (2 × 3)

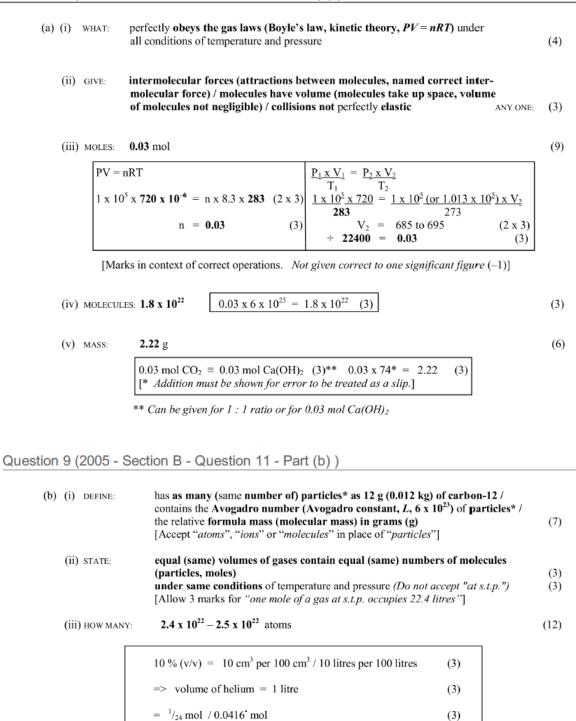
Question 4 (2010 - Section B - Question 4 - Part (h))

(h) WHAT: A gas that obeys the gas laws (Boyle's law, kinetic theory, PV = nRT) //
at all values of temperature and pressure / all conditions / perfectly (2 × 3)
[Allow "A gas that obeys the assumptions of the kinetic theory" for 6 mark]

STATE: The volumes, measured at the same temperature and pressure, of reacting (combining) gases and their gaseous products // are in (related by) small (simple) whole number ratios (2×3) Question 6 (2009 - Section B - Question 10 - Part (a)) (a) STATE: equal (same) volumes of gases contain equal (same) numbers of molecules (particles, moles) (4)under same conditions* / at same temperature and pressure (3)[Allow (3) for 'the molar volume at s.t.p. is 22.4 litres'.] [*Do not accept 'under all conditions' or 'at s.t.p.' or 'at constant temp & pressure'] gases made up of particles (molecules, atoms) in rapid, random, straight-line motion // GIVE: volume of particles (molecules, atoms) zero (negligible) / molecules (particles, atoms) take up no (negligible) space // no forces of attraction or repulsion between molecules (particles, atoms) // collisions between molecules perfectly elastic (involve no energy loss) // average kinetic energy of molecules proportional to kelvin temperature ANY TWO: (2 x 3) have intermolecular forces {attractions between particles (molecules, atoms, named DEVIATE: correct intermolecular force) // molecules (particles, atoms) have volume (take up space, volume not negligible) // collisions not perfectly elastic ANY TWO: (2 x 3) (6) HOW: $1.8 \times 10^{24} \div 2 = 9 \times 10^{23} \text{ molecules (3)} \div 6 \times 10^{23} = 1.5 \text{ moles (3)}$ Question 7 (2007 - Section B - Question 10 - Part (b)) (b)(i) STATE: equal (same) volumes of gases contain equal (same) numbers of molecules (4)(particles, moles) under same conditions* of temperature and pressure (3) * Do not accept "under all conditions".] [Do not accept "at s.t.p."] [Allow (3) for "the molar volume at s.t.p. is 22.4 litres.] WHAT **1.069 – 1.10** m³ [Accept 1.1 but not greater] (ii) (9) $2000 \div 44* = 45.4 / 45.5 \text{ mol}$ (3)[*addition must be shown for error to be treated as slip.] $V = nRT = 45.4/45.5 \times 8.3 \times 290$ [or other correct (3) 1.01×10^{5} = 1.069 - 1.10(3) $2000 \div 44^* = 45.4 / 45.5 \text{ mol} \times 22.4 = 1017 / 1019 \text{ litres}$ (3)

(b)(i) STATE: equal (same) volumes of gases contain equal (same) numbers of molecules (particles, moles) (4) under same conditions* of temperature and pressure (3) [* Do not accept "under all conditions".] [Do not accept "at s.t.p."] [Allow (3) for "the molar volume at s.t.p. is 22.4 litres.] (ii) WHAT $1.069 - 1.10 \text{ m}^3$ [Accept 1.1 but not greater] (9) $2000 \div 44* = 45.4 / 45.5 \text{ mol}$ (3) [*addition must be shown for error to be treated as slip.] (3) $= \underline{nRT} = \underline{45.4/45.5 \times 8.3 \times 290} \quad [\text{or other correct}]$ 1.01 x 10⁵ form] = 1.069 - 1.10(3) 2000 ÷ 44* = 45.4 / 45.5 mol x 22.4 = 1017 / 1019 litres (3) [*addition must be shown for error to be treated as slip.] $1.01325/1.013/1.01/1.0 \times 10^{5} \times 1017/1019 \times 290$ (3) $1.01 \times 10^5 \times 273$ [or other correct form] $1069 - 1100 \text{ litres } (1.069 - 1.10 \text{ m}^3)$ (3)WHAT: 0.182 kg / 182 g [or answers rounding off to these figures] (6) $45.4 / 45.5 \times 4 (3) = 182 g / 0.182 kg (3)$ stronger intermolecular (London dispersion, Van der Waals', dipole-dipole) (iii) GIVE: forces (attractions) / higher mass / bigger molecules / polarity of C to O bond / has more electrons (3) [To allow opposite points Helium must be mentioned.] (b)(i) STATE: equal (same) volumes of gases contain equal (same) numbers of molecules (particles, moles) (4) under same conditions* of temperature and pressure (3)

[* Do not accept "under all conditions".] [Do not accept "at s.t.p."]



 $x 6 \times 10^{23} = 2.4 \times 10^{22} - 2.5 \times 10^{22}$ atoms

(3)

