

pH and Indicators Marking Scheme

2017

Q9

QUESTION 9

- (a) DEFINE: (i) **proton (H⁺) acceptor //**
(ii) **two species that differ by a proton (H⁺)** (2 × 3)
[Examples insufficient on their own.]

WHAT: **H₃O⁺ / hydronium ion** (3)

- (b) DEFINE: **pH = -log₁₀ [H⁺] / -log₁₀ [H₃O⁺] / minus log base 10 hydrogen ion concentration**
expressed in moles per litre (3)

ACCOUNT: [Allow 'hydrochloric' for HCl, 'sulfuric' for H₂SO₄ and 'methanoic' for HCOOH.
Allow H⁺, proton, H₃O⁺ or hydronium ion for 'hydrogen ion'.]

(i) & (ii) First (9) marks available from **one** of the boxes below.

RELEVANT HCl information
0.10 M HCl produces 0.10 M H⁺ ion / pH HCl = -log (0.10) (6)
or
HCl monoprotic (monobasic) / one molecule HCl produces one H⁺ ion //
HCl is strong (fully dissociated into H⁺ ions, a good proton donor) (2 × 3)
and
RELEVANT H₂SO₄ information
0.10 M H₂SO₄ produces 0.20 M H⁺ ion /
pH H₂SO₄ = -log (0.20) /
H₂SO₄ diprotic (dibasic) /
one molecule H₂SO₄ produces two H⁺ ions /
H₂SO₄ produces (has) more (twice as many) H⁺ ions as HCl (3)

or

RELEVANT H₂SO₄ information
0.10 M H₂SO₄ produces 0.20 M H⁺ ion / pH H₂SO₄ = -log (0.20) (6)
or
H₂SO₄ diprotic (dibasic) /
one molecule H₂SO₄ produces two H⁺ ions /
H₂SO₄ produces (has) more (twice as many) H⁺ ions as HCl (3)
and
RELEVANT HCl information
0.10 M HCl produces 0.10 M H⁺ ion / pH HCl = -log (0.10) (3)

and

RELEVANT HCOOH information
0.10 M methanoic acid (HCOOH) solution produces 4.27 × 10⁻³ M (less than
0.10 M) H⁺ ion /
pH HCOOH = inverse log (-2.37) {antilog (-2.37)} /
HCOOH is weak {slightly (not fully) dissociated into H⁺ ions, a poor proton donor} /
HCOOH weaker than HCl (3)

USE: (iii) $K_a = 1.82 \times 10^{-4}$ (6)

$$[H^+] = \text{inverse log } (-2.37) \text{ * / antilog } (-2.37) \text{ * / } 4.27 \times 10^{-3} \text{ / } 10^{-2.37} \quad (3)$$

***Omission of minus loses this (3)**

$$\Rightarrow K_a = \frac{[H^+][A^-]}{[HA]} \left(\frac{[H^+]^2}{[HA]}, \frac{[H^+]^2}{[0.1]} \right) /$$

$$[H^+] = \sqrt{K_a[HA]} \text{ / } 4.27 \times 10^{-3} = \sqrt{K_a[0.1]} \text{ / } [H^+]^2 = K_a[HA] \text{ / } (4.27 \times 10^{-3})^2 = K_a(0.1)$$

$$K_a = 1.82 \times 10^{-4} \quad (3)$$

$$[\text{acid}] = [HA] = [HX] = M = M_o$$

(iv) pH = 2.52 (3)

$$\text{pH} = -\log \sqrt{K_a[HA]} \text{ * } = -\log \sqrt{1.82 \times 10^{-4}[0.05]} \text{ * } = 2.52 \quad (3)$$

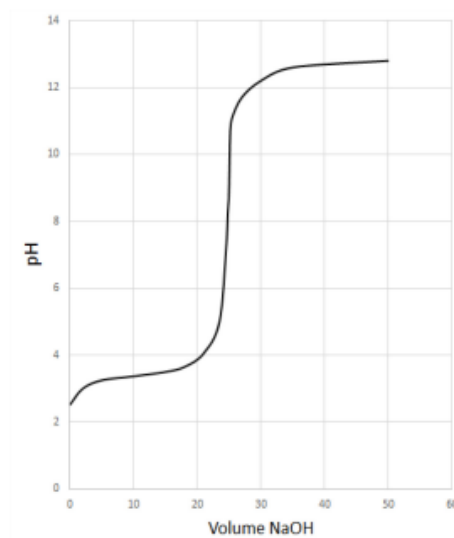
***Omission of minus loses this (3)**

$$[\text{acid}] = [HA] = [HX] = M = M_o$$

- (c) DRAW: axes labelled (pH and volume) //
curve of correct shape with steep rise at 25 cm³ //
vertical part mostly above pH = 7 //
steep rise coincides with 25 cm³ NaOH

[Allow correct work with volume scale increasing from right to left or pH decreasing on y-axis towards 0.]
[Allow volume on y-axis.]

ANY THREE: (3 × 3)



NAME: phenolphthalein (6)

EXPLAIN: colour change (indicator range) coincides with sharp rise on graph /
colour change occurs > 7 / colour change occurs between 7 and 10 /
indicator range is 8.3 – 10 (2)
[NAME and EXPLAIN linked]

QUESTION 10

- (a) (i) DISTNG: *strong acid: good proton donor / readily donates protons / almost fully dissociated //*
weak acid: poor proton donor / slightly (poorly, weakly) dissociated (2 × 3)
 [Allow 'Partly (partially, not fully) dissociated' and 'does not readily donate protons' for weak acid description.]

- (ii) CALCULATE: **0.005 M** (6)

$$\text{pH} = -\log [\text{H}^+] \Rightarrow [\text{H}^+] = \text{inverse log} (-2) = \mathbf{0.01} \quad (3)$$

$$0.01 \div 2 \text{ (dibasic)} = \mathbf{0.005 M} \quad (3)$$

- CALCULATE: **5/9 (0.556) M [0.55 – 0.56 M]** (6)

$$\text{pH} = -\log [\text{H}^+] \Rightarrow [\text{H}^+] = \text{inverse log} (-2) = \mathbf{0.01}$$

$$\Rightarrow K_a (1.8 \times 10^{-4}) = \frac{[\text{H}^+][\text{A}^-]}{[\text{HA}]} \left(\frac{[\text{H}^+]^2}{[\text{HA}]}, \frac{(0.01)^2}{[\text{HA}]} \right) / [\text{HA}] = \frac{(0.01)^2}{1.8 \times 10^{-4}} / [\text{HA}] = \frac{(0.01)^2}{K_a} /$$

$$[\text{H}^+] = \sqrt{K_a[\text{HA}]} / 0.01 = \sqrt{1.8 \times 10^{-4}[\text{HA}]} / [\text{H}^+]^2 = K_a[\text{HA}] / (0.01)^2 = \mathbf{1.8 \times 10^{-4}[\text{HA}]} \quad (3)$$

$$[\text{HA}] = \mathbf{5/9 (0.55555) M} \quad \mathbf{[0.5556 - 0.56 M]} \quad (3)$$

$$[\text{acid}] = [\text{HA}] = [\text{HX}] = M = M_a$$

- (iii) DEFINE: $K_w = [\text{H}^+][\text{OH}^-]$ / $K_w = [\text{H}_3\text{O}^+][\text{OH}^-]$ / **product of molar concentrations of hydrogen (hydronium) ions (H^+ , H_3O^+) and hydroxide (hydroxyl) ions (OH^-) in water** (3)

- WHAT: **$3.0 \times 10^{-7} \text{ M}$** (4)

$$K_w (9.0 \times 10^{-14}) = [\text{H}^+][\text{OH}^-] = \sqrt{K_w} (\sqrt{9.0 \times 10^{-14}}) / [\text{H}^+] = [\text{OH}^-]$$

$$\Rightarrow [\text{H}^+] = \mathbf{3.0 \times 10^{-7} M} \quad (4)$$

QUESTION 9

- (a) DEFINE: (i) *Arrhenius acid*: produces H^+ (hydrogen ion) by dissociation in water (aqueous solution) // (2 × 3)
 (ii) *Bronsted-Lowry acid*: proton (hydrogen ion, H^+) donor

- (b) DEFINE: $-\log_{10}[H^+] / -\log_{10}[H_3O^+]$ / negative log to base ten of hydrogen (hydronium) ion concentration in moles per litre (6)

STATE: reliable (accurate, suitable) only for dilute solutions / only valid (useful) in 0 - 14 range / applies to aqueous solutions only / unreliable (inaccurate, unsuitable) in very concentrated solutions / unreliable for negative pH values (3)
 [‘Temperature dependent / (25 °C)’ acceptable.][‘Valid range 1 – 14’ unacceptable but does not cancel.]

- (c) GRAPH: See graph on next page.
 both axes correctly labelled (pH, V, volume, cm^3 , NaOH) (3)
 appropriate, correct numeric scales on both axes (3)
 smooth curve of correct shape corresponding to 0 -15 cm^3 NaOH added and from 25- 40 cm^3 NaOH added (3)
 careful plotting of vertical part (6)
 [Volume versus pH acceptable.][(3) marks deducted if graph not on graph paper.]

- (d) (i) CALCULATE: 0.014 M [0.0139 – 0.014 M] (9)

$$[H^+] = \sqrt{K_a[CH_3COOH]} / \text{inverse log } (-3.3) / 5.01 \times 10^{-4} /$$

$$-\log\sqrt{K_a[CH_3COOH]} = 3.3 / \log\sqrt{K_a[CH_3COOH]} = -3.3 \quad (6)$$

$$K_a = \frac{[CH_3COO^-][H^+]}{[CH_3COOH]} / \frac{[H^+]^2}{[CH_3COOH]} / 1.8 \times 10^{-5} = \frac{[5.01 \times 10^{-4}]^2}{[CH_3COOH]}$$

$$[CH_3COOH] = 0.014 \text{ M } [0.0139 - 0.014 \text{ M}] \quad (3)$$

Take [acid] or [HA] or M to be $[CH_3COOH]$ and $[A^-]$ to be $[CH_3COO^-]$

or

$$[H^+] = \sqrt{K_a[CH_3COOH]} / \text{inverse log } (-3.3) / 5.01 \times 10^{-4} /$$

$$-\log\sqrt{K_a[CH_3COOH]} = 3.3 / \log\sqrt{K_a[CH_3COOH]} = -3.3 \quad (6)$$

$$K_a[CH_3COOH] / 1.8 \times 10^{-5} \times [CH_3COOH] = (5.01 \times 10^{-4})^2$$

$$[CH_3COOH] = \frac{(5.01 \times 10^{-4})^2}{1.8 \times 10^{-5}} = \frac{2.51 \times 10^{-7}}{1.8 \times 10^{-5}} = 0.014 \quad [0.0139 - 0.014 \text{ M}] \quad (3)$$

Take [acid] or [HA] or M to be $[CH_3COOH]$ and $[A^-]$ to be $[CH_3COO^-]$

[1 mark deducted for incorrect rounding off.]

- (ii) MAKE USE: 20 cm^3 (3)

- (e) WHAT: phenolphthalein / thymol blue / cresol purple / thymolphthalein (6)

REFER: range of phenolphthalein coincides with vertical part of graph / range (8 -10) within pH jump / phenolphthalein changes colour corresponding to steep (vertical) part of graph / phenolphthalein changes colour within (coinciding with) pH jump at end point / phenolphthalein has one colour at pH = 8 (7, 6, before neutralisation, before vertical part of graph) and another at (after) pH = 10 (11, after neutralisation, after vertical part of graph) (2)
 [K_a (K_{in} , pK_a , pK_{in}) value of phenolphthalein acceptable for (4).]
 [REFER marks available only if WHAT marks awarded.]

